

Wheelchair Stabilization by the Control of a Spatial 3-RRS Mechanism

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A spatial parallel mechanism namely 3-RRS mechanism has been assigned to be attached to the seat of a standard electric wheelchair to prevent the turning over of the handicapped sitting on the wheelchair. The system of the wheelchair and the mechanism is a self-balancing robotic wheelchair and has coped with several road conditions. A stability control system calculates the proper moments on the basis of the height of the mass centre and the angle of the wheelchair. The control parameters have obtained and the revolute motors have been actuated by the control torques. Based on the simulation results of the system in MatLab, two types of stabilized wheelchairs, one of which has shown good results on several road conditions, have been built and tested.

Keywords: Parallel robot, Spatial 3-RRS robot, Wheelchair stability control, Turn-over prevention

1 Introduction

Various aspects of parallel robots have been taken into consideration in recent years. Researchers have recently concentrated on parallel platforms with less than 6 DoF (degrees of freedom) some of which are used in the structure design of robotic manipulators. Kinematic and dynamic analyses of low DOF parallel platforms are prerequisite for their perfect conceptual structural design. Little research has been done on the control of parallel robots in comparison with serial robots. Parallel robots or mechanisms have been more extensively used than serial robots due to their large ratio of payload to weight, high accuracy and speed in small work spaces [1-2]. Kinematics and dynamics of the platform of a 3-RPS parallel robot have been numerically analyzed [3-4].

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The speed and singularity of 4 and 5 DoF parallel platforms have been studied [5-6]. The characteristics of the motion of 3-RPS, 3-RRS and 3-UPU platforms have been found through the screw theory [7]. Direct and inverse kinematics of 3-RPS and 3-RSR parallel platforms have been analyzed [8-9]. Static balance of a 3-RRS parallel platform with the aid of sprung balance weights has been studied [10]. Robot control method might be designed on the basis of efficiency or on the basis of a model. The model based control methods require a dynamic model [11]. Six dependent coordinates is considered for the position and orientation of the moving platform of the spatial 3-RRS mechanism [12-13]. According to the Gruebler's mobility criterion the 3-RRS mechanism, or in other words, the moving platform has three degrees of freedom with respect to the base platform of the spatial 3-RRS mechanism. The concept of control using the calculated torque has been proposed by Paul in (1972) [14]. It is a control method on the basis of the dynamic model of the robot. The model is required for the computation of the joint torques in the feedback loop. If the model is exact, the method will decouple the effect of the joints in the model [15]. The method of the calculated torque is a linear method for controlling a nonlinear system [16].

The model based torque control method presented by this article calculates the stabilizing control torques through a dynamic model. It belongs to the category of model based control methods. In the present article a 3-RRS spatial parallel mechanism forms a tripod being composed of a base plate and a movable plate with three similar extremities each of which has been made up of two links, one spherical and two revolute joints. The base platform is attached to a mobile wheelchair seat.

Singularity analysis and path planning with the working mode conversion have been studied for a 3-RRR planar parallel manipulator [18]. An improved wheelchair with obstacle and stair climbing ability has been presented [19]. Bioelectronics has been studied for a wireless human-wheelchair interface [20]. An electrically powered wheelchair has been adjusted to be monitored and controlled by mobile devices such as smart phones and tablets [21]. A robust intelligent controller has been applied to a class of nonholonomic electrically driven mobile robots [22]. A control system providing autonomy to all disabled people, has been achieved for designing an electric wheelchair moving in a three dimensional indoor environment [23]. Steering a motored wheelchair might be a hazardous task.

Experiments on robotic wheelchairs equipped by a monocular camera have proved the capability of the visual servoing approach to guide and assist a user navigating in a corridor [24]. A three dimensional vision-based system has been implemented to control an autonomous wheelchair mounted robotic manipulator with multiple-sensors [25]. Collaborative control of a robotic wheelchair has been proposed to support human-machine collaboration [26]. An aware wheelchair has been proposed with sensor networks [27]. It detects dangers within the distance of two meters, and suggests suitable actions [27]. A method has been proposed within which wheelchair robot imitates human like navigation by interacting with the surrounding environments [28]. It has been experimentally shown that the method is efficient for mobile robot navigations [28]. Design and development of a 4 wheel driven wheelchair has been proposed for indoor navigation with reduced wheel slippage and vibration [29]. Kinematics, actuator dynamics and wheels rolling resistance of a differential drive mobile robot has been studied [30]. An educational simulation tool has been proposed to analyze the kinematics and control of 2RPR-PR planar parallel robots [31].

1.1 Model based computed torque control [14-16]

Calculated torque denoted by τ_{ct} is given by Eq. (1) using the torque found by robot inverse dynamic problem, i.e. τ_d , PD-controller gains, i.e. K_P and K_D , and closed loop dynamic error, i.e. e defined by Eq. (2) within which θ_D^a is the desired joints' angles.

$$\tau_{ct} = M(\theta^a)[K_P e + K_D \dot{e}] + \tau_d \tag{1}$$

$$e = \theta_D^a - \theta^a \tag{2}$$

According to the calculated torque method, the dynamic error i.e. e is assumed as the solution of a second order autonomous linear ordinary differential equation. Since the gains K_P and K_D are symmetric and positive definite, the dynamic error asymptotically approaches zero. Therefore the control of a sophisticated system such as a parallel robot can be simply solved. The gains K_P and K_D shown by Eqs. (3)-(4), are usually 3×3 diagonal matrices for a 3 DoF robot. They are found through controller design.

$$K_P = diag(k_{P1}, k_{P2}, k_{P3}) (3)$$

$$K_{D} = diag(k_{D1}, k_{D2}, k_{D3}) (4)$$

Characteristic equation of a linearized model of a robot required in the calculated torque method might be assumed as Eq. (5) where ζ is the damping ratio and ω_n is the natural frequency of the model.

$$P(s) = s^{2} + 2\zeta \omega_{n} s + \omega_{n}^{2} = 0$$
 (5)

Efficient performance is obtained by choosing the gains as $k_{Pi} = \omega_n^2$ and $k_{Di} = 2\zeta\omega_n$. To avoid overshooting the damping ratio is chosen as I. Therefore $k_{Di} = 2\sqrt{k_{Pi}}$ and as a result the design problem reduces to a one-variable control design problem. Optimization techniques or trial and error methods might be used for finding the torques.

2 Kinematics

The spatial 3-RRS mechanism of this article is illustrated by Figure (1). It consists of base and movable platforms with three supports being formed from two links, one spherical and two revolute joints. The axes of the two revolute joints of each support are parallel to each other and parallel to the base platform. The movable platform, namely the moving platform, has two angular and one vertically translational DoF with respect to the base platform. The base platform is also movable, since it is attached to the seat of a standard electric wheelchair. The coordinate reference frames O-XYZ and P-xyz in Figure (1) are respectively attached to the base and moving platforms being respectively perpendicular to Z and z axes. The geometric centers of the spherical and the two revolute joints are respectively depicted by A_i , B_i and C_i where i=1, 2 or 3. The triangles $A_1A_2A_3$ and $B_1B_2B_3$ are equilateral with R and r as their circumferential radii respectively.

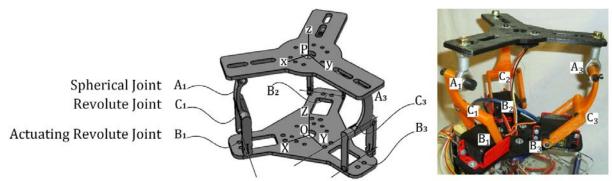


Figure 1 Spatial 3-RRS mechanism

3 Motion Equations

Neglecting the friction of the spherical joints locating on the points A_i the spherical joint force action on the moving platform is denoted by Eq. (6).

$$f_{Ai} = f_{xAi}.x_{Ai} + f_{vAi}.y_{Ai} + f_{zAi}.z_{Ai}$$
 (6)

Neglecting the friction of the second revolute joints locating on the points C_i , The moment equilibrium equation about the axis of the second revolute joint is given by Eq. (7) [17].

$$\left(m_{2i}(r_{2i} - L_{BCi}) \times \left(g - \dot{V}_{2i}\right) - I_{2i}(\dot{\omega}_{Bi} + \dot{\omega}_{Ci}) - (\omega_{Bi} + \omega_{Ci}) \times \left(I_{2i}(\omega_{Bi} + \omega_{Ci})\right) + f_{yAi} \cdot L_{CAi} \times y_{Ai}\right) \cdot x_{Ci} = 0$$
(7)

Where I_{2i} is the inertia tensor of the second link of each support with respect to the frame 0 - XYZ.

4 Torque Controller of 3-RRS robot

In the present article, stability of the 3-RRS mechanism about roll and pitch and along Z axes has been controlled. The motion equations of the mechanism are needed for a PD-controller design. Considering the motion equations of the pervious section, the robot inverse dynamics can be solved to obtain the actuating torques required for a given motion of the mechanism. It should be noted that the forward dynamics is solved to obtain the motion caused by a given actuating torques.

The general form of the nonlinear motion equations are simply shown by Eq. (8) within which M, τ and F are respectively the inertia, applied forces or torques and the nonlinear part of the motion equations. In inverse dynamics the Eq. (8) are used to find the torque of actuator that is the controller input.

$$\tau = M\dot{V} + F(X, V) \tag{8}$$

The system state vector and the time rate thereof are defined by Expressions (9).

$$X = \begin{bmatrix} x & y & z & q_x & q_y & q_z \end{bmatrix}^T, \quad V = \dot{X} = \begin{bmatrix} v_x & v_y & v_z & \omega_x & \omega_y & \omega_z \end{bmatrix}^T \tag{9}$$

The roll, pitch and height stability of a 3-RRS mechanism have been controlled by a PD- model based calculated torque controller. The closed loop linearized system is governed by Eqs. (10)-(12).

$$\tau = M \left(K_P e + K_D \dot{e} \right) + F(X, V) \tag{10}$$

$$e = X_{ref} - X \tag{11}$$

$$\dot{e} = V_{ref} - V \tag{12}$$

This system has been manufactured and has been empirically tested to set the controller design parameters, namely K_P and K_D . The proper values of them has been experimentally found as $K_P = 45$ and $K_D = 11$. It is a so-called trial and error algorithm for the design of the controller. The controller calculates the proper torques based on the wheelchair angles and height and stabilizes the wheelchair.

5 Simulation Results

Using Eqs. (10)-(12), the 3-RRS mechanism has been simulated by Simulink and SimMechanics toolboxes of MatLab. The magnitudes of the system parameters have been assumed as the Expressions (13). The preparation of the 3-RRS mechanism in Simulink and SimMechanics is shown by Figures (2-3). The dimensions, masses and inertia tensors are considered respectively in terms of m, kg and kg. m^2 as follows:

$$l_{BCi} = l_{CAi} = 0.10, \quad r = 0.10, \quad R = 0.12$$

$$m_{1i} = m_{2i} = 10, \quad m_{P} = 65$$

$$I_{1i0} = I_{2i0} = \begin{bmatrix} 5 & 0 & 0 \\ 0 & 5 & 0 \\ 0 & 0 & 0.5 \end{bmatrix}, \quad I_{P} = \begin{bmatrix} 25 & 0 & 0 \\ 0 & 33 & 0 \\ 0 & 0 & 17 \end{bmatrix}$$
(13)

The angular velocity and acceleration and linear acceleration of the moving platform being represented by the linear acceleration of P have been shown by Figures (4-6) against time.

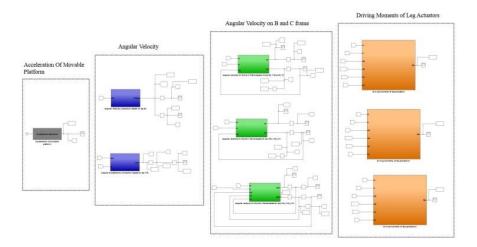


Figure 2 Computation of torque, angular velocity and acceleration of 3-RRS mechanism in Simulink

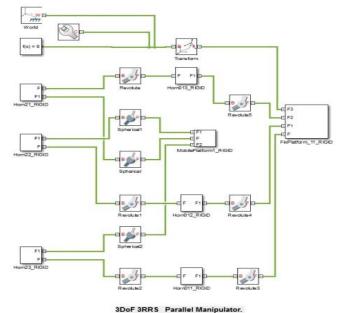


Figure3 Simulation of 3-RRS mechanism in SimMechanics

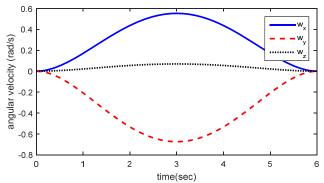


Figure 4 Angular velocity of the moving platform versus time

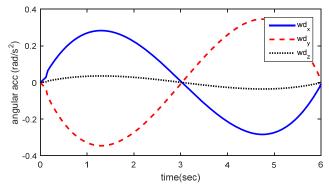


Figure 5 Angular acceleration of the moving platform versus time

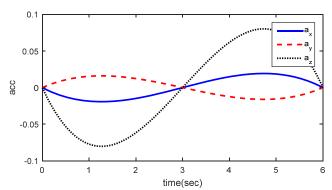


Figure 6 Moving platform acceleration versus time; Acceleration of P versus time

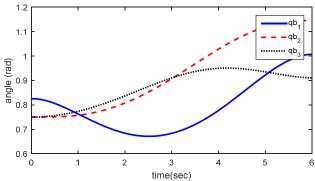


Figure 7 Angular displacements of the revolute joints located in C_i (i = 1, 2 or 3) versus time

The angular displacement of the revolute joints located in C_i (i= 1, 2 or 3) versus time has been shown by Figure (7).

The angular displacement, velocity, acceleration and the activating torque of the revolute actuators located in B_i (i = 1, 2 or 3) have been shown by Figures (8-11) against time.

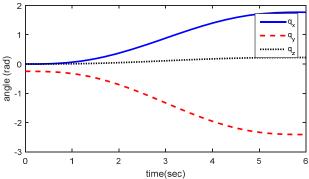


Figure 8 Angular displacements versus time for the revolute actuators located in B_i (i = 1,2,3)

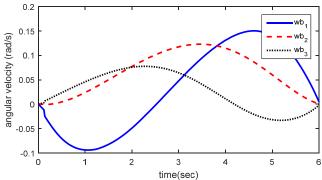


Figure 9 Angular velocity of the revolute actuators located in B_i (i = 1, 2 or 3) versus time

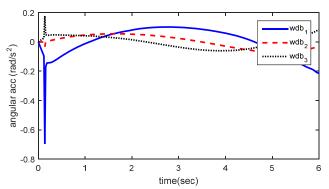


Figure 10 Angular acceleration of the revolute actuators located in B_i (i = 1, 2 or 3) versus time

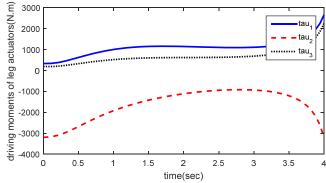


Figure 11 Torque of the revolute actuators located in B_i (i = 1, 2 or 3) versus time

The controlled roll and pitch angles and the height of the moving platform represented by the height of P have been shown by Figures (12-14) against time. The controller design parameters have been set at $K_P = 45$ and $K_D = 11$.

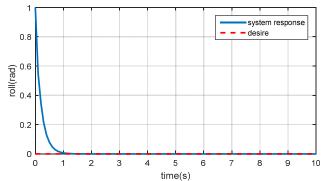


Figure 12 Controlled roll angle of the moving platform versus time ($K_P = 45$, $K_D = 11$)

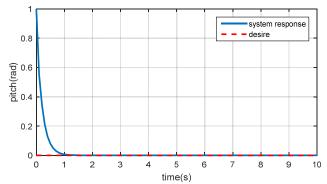


Figure 13 Controlled pitch angle of the moving platform versus time ($K_P = 45$, $K_D = 11$)

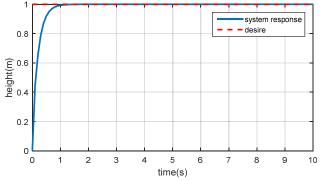


Figure 14 Controlled height of the moving platform; Controlled height of P versus time ($K_P = 45$, $K_D = 11$)

6 Manufacturing prototype

On the basis of the controller and simulation results, a prototype of a robotic wheelchair has been manufactured to ensure the stability of the seat. The seat is attached to the controlled moving platform. The moving platform is attached to the wheelchair and experiences motions caused by different uneven road conditions. Many parts of the prototype such as those orange members of Figures (15-16) have been manufactured by a three dimensional printer. The wheels of the system have been replaced by tank belts illustrated by Figure (16) to lessen the probability of the wheelchair turning over during test operations. The stabilized wheelchair has two main parts, namely the moving part of wheelchair and the 3-RRS mechanism along with its torque control system. Although the controlled 3-RRS Mechanism and the moving part of the wheelchair are dynamically coupled, each of them has been modeled and manufactured independently.



Figure 15 Different views of the manufactured spatial 3-RRS mechanism mounted on a wheelchair simulator

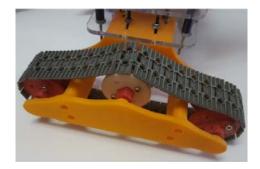


Figure 16 Tank belt used instead of the wheel

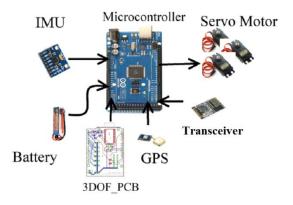


Figure 17 Electronic parts of the system

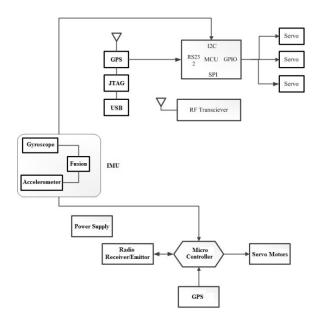


Figure 18 Block diagram of the system

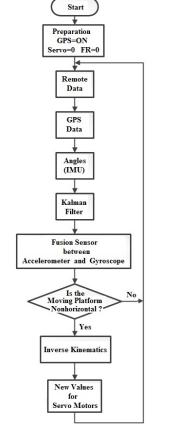


Figure 19 Flowchart of the control system of the prototype

The torque control system evaluates the first guess of the required torques of the servo motors in accordance with the analyses of the previous sections. The electronic parts and the block diagram of the manufactured prototype have been respectively illustrated by Figures (17-18). The flowchart of the control system of the prototype has been illustrated by Figure (19).

Result and discussion

As shown by Figure (20-22), the prototype of the controlled mechanism has been tested under different uneven road conditions. The gains of the PD-controller have been experimentally set on $K_P = 45$ and $K_D = 11$. The empirical tests confirm the feasibility to stabilize the mechanism by the mentioned PD-controller.

To check the Mechanism, a 20 degrees roll has been applied within 20 seconds. As it can be seen in Figure (23), the Moving Platform showed good response to the rotating movement of wheelchair. To maintain the stability of the wheelchair an extra negative angle has been given; as can be seen in this experiment is about 1 degree. The amount of this negative angle depends on the speed of applied roll movement.

A sudden roll movement has been applied to the mechanism. The Result of MatLab simulation and Experimental result shows good response of moving platform. As mentioned above the Extra negative angle is the main difference between the results (Figure (24)).



Figure 20 Prototype under roll condition on a ramp



Figure 21 Prototype under experiment on a ramp



Figure 22 Prototype under experiment on an uneven road

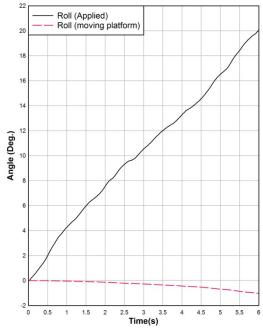


Figure 23 Experimental checking of mechanism

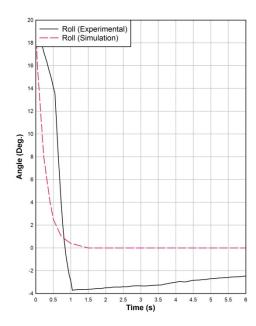


Figure 24 Comparison of simulation and experiment of moving platform

The dimensional optimization of the controller, the strength analysis of the links and the effect of the total mass of the handicapped, seat and moving platform on the results should be taken into consideration.

Conclusions

• Kinematics and dynamics of a 3-RRS mechanism have been analyzed and a model has been presented for a model based controller to calculate the torque of the actuators.

- The mechanism has been manufactured and experimentally used to determine a proper value for the design parameters of the torque-model-based PD-controller. A trial and error algorithm has been used.
- The obtained controller design parameters have been used for the simulation of the closed loop system in MatLab. The roll and pitch angles and the height of the moving platform have been to be controlled.
- The system has been simulated only for one such controller set on $K_P = 45$ and $K_D = 11$. The simulation results and the experiments prove the capability of the controller to stabilize the mechanism.

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Nomenclature

A, B, C	Joints name
K_P, K_D	PD-controller gains
e	Closed loop dynamic error
$ heta_D^{a}$	Desired joints' angles.
ζ	Damping ratio
ω_n	Natural frequency of the model
f_{Ai}	Spherical joint force action on the moving platform on the points A _i
I_{2i}	Inertia tensor of the second link of each support
M	Inertia
τ	Applied forces or torques
F	Nonlinear part of the motion equations

چکیده

استفاده از ویلچرهای برقی برای افرادی که دارای ناتوانی جسمی هستند به عنوان یک الزام در زندگی امروزه دیده میشود. این افراد به علت مشکلات حرکتی، توانایی کنترل واژگونی ویلچر را نداشته و حفظ تعادل سخت خواهد بود. در این مقاله یک سیستم پایدارکننده بر روی ویلچر به عنوان صندلی قرار داده شده تا در حفظ تعادل استفاده کننده کمک نماید. این مکانیزم RRS در کلیه شرایط جاده حالت افقی صندلی را حفظ نموده و با ایجاد زاویه مخالف در زمان مناسب مرکز ثقل ویلچر را در محدوده بین چرخها حفظ میکند. در این مقاله این مکانیزم به صورت مدل عددی و تجربی مورد بررسی قرار گرفته و مقایسه نتایج عملکردی نشان داده شده است.